

Course Details

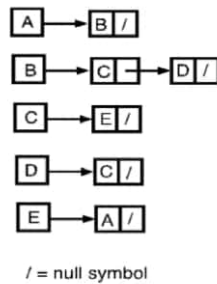
Course Title: Data Structure and Algorithm Module: \_\_\_\_\_  
Instructor: \_\_\_\_\_ Total Marks: 50

Student Details

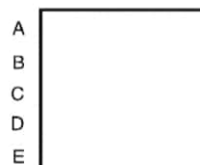
Name: \_\_\_\_\_ Student ID: \_\_\_\_\_

Note: Plagiarism of more than 20% will result in negative marking.  
Similar answers of students will result in cancellation of the answer for all parties.

Q1.	Explain the following operations in a single link list. 1. Insert an Element 2. Delete an Element	CLO 1  Marks 10
Q2.	Write a program to insert a new element in the given unsorted array at K <sup>th</sup> position	CLO 2  Marks 12
Q3.	Explain Quick sort with the help of suitable example Write an algorithm for insertion in sorted linked list	CLO 1  Marks 13
Q4.	Give adjacency list representation of a graph with five vertices A, B, C, D, E is given below.	CLO Marks 15



Part (a). Draw the adjacency matrix (complete the partial drawing below), and



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Q1 Explain the following operation in a ~~sign~~ single linked list.

- 1) Insert an element
- 2) Delete an element.

Ans:

Single Link list is a sequence of element in which every element has link to its next element in sequence.

In a ~~sign~~ single linked list the inserting operation can be performed in three ways.

1. Inserting at beginning of the list.

NULL)

Steps 1.

create a new node with the given value.

P2 Step 2.

check whether list is empty (head == NULL).

Step 3.

If it is empty then set  
new Node  $\rightarrow$  next = NULL & head  
= new node



#### Step 4.

If it is not empty then, set  
new node  $\rightarrow$  next = head & head =  
NewNode.

## 2. Inserting at End of the List

#### Step 1.

create a new node with  
the given value & new Node  $\rightarrow$   
next as NULL.

#### Step 2.

check wheater list is empty  
chead == NULL.

#### Step 3.

If it is empty then set  
new Node  $\rightarrow$  next = NULL & head =  
New Node.

## 3. Inserting at the End of List.

#### Step 1

creat a new Node with given  
value & new node  $\rightarrow$  next as NULL.

## Step 2.

check whether list is empty  
(head == NULL).

## Step 3.

If it is empty then, set  
head = New Node.

## Step 4.

If it is not empty then define  
a node pointer temp & initialize  
with head.

## (ii) Delete an Element.

In a single linked  
list. The deletion operation can be  
performed in three ways.

### 1. Deleting from Beginning of the list.

~~Step~~

#### Step 1.

check whether list is empty  
(head == NULL)

#### Step 2.

If it is empty then, display  
List is empty!!! Deletion is not



possible' and terminate the function.

Step 3.

if it is not empty then, define a Node pointer 'temp' & initialize with head.

Step 4.

Check whether list having only one node ( $temp \rightarrow next == NULL$ ) An

Step 5.

if it is true then set head = NULL & delete temp.

2. Delete from End of the list.

Step 1.

Check whether list is empty ( $head == NULL$ )

Step 2.

if it is not empty then define two node pointers, ( $temp1$ ) and  $temp2$ .

Step 3.

check list has only one node ' $temp1$ ' with head.

( $temp1 \rightarrow next == NULL$ .)



Step 4.

If it is true then set head = null  
& delete.

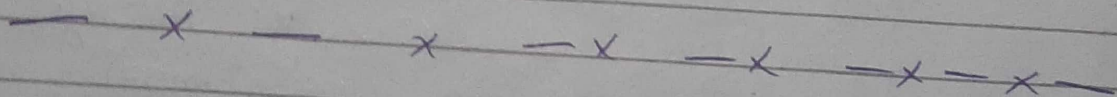
3) Deleting a specific Node from list.

Step 1

Check list is empty. (head == null)

Step 2.

If not empty then define two  
Nodes. temp1 & temp2. & initialize  
temp1 with head.



Q3: Explain Quick sort with help of suitable example.

Quick sort:

Quick sort is a divide & conquer algorithm. It picks an element as pivot & partitions the given array around the picked pivot. There are many different versions of quick sort that pick pivot in different ways



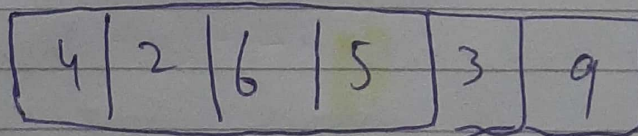
- 1) Always pick 1st element as pivot.
- 2) Always pick last element as pivot.
- 3) Pick a random element as pivot.
- 4) pick median as pivot.

The key process in quick sort is partitioning.

Target of partition is given an array and an element  $x$  of array as pivot. Put  $x$  at its correct position in sorted array & put all smaller element (smaller than  $x$ ) before  $x$  and put all great greater element (greater than  $x$ ) after  $x$ . All this should be done in linear time.

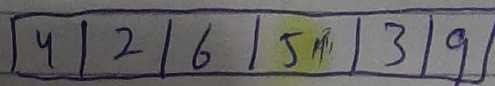
~~Simple~~

Example.

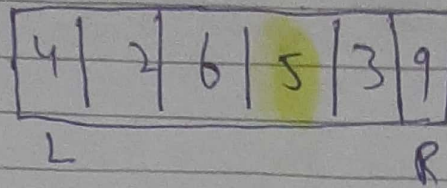


We will use quick sort.

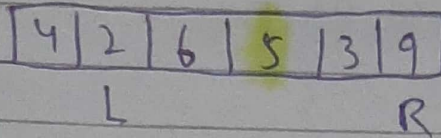
Step 1



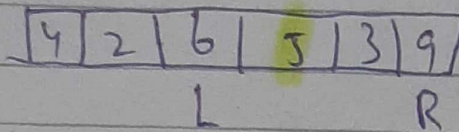
Step 2.



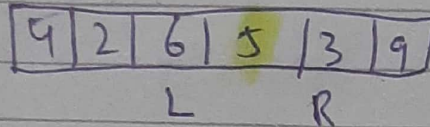
Step 3



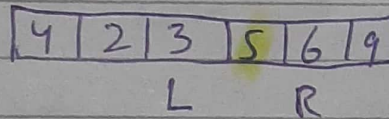
Step 4



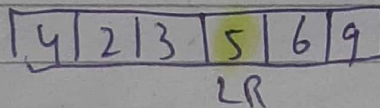
Step 5



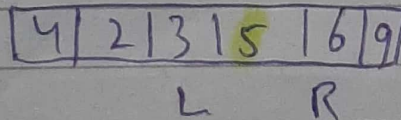
Step 6



Step 7



Step 8





# Q3.(b) Algorithm for insertion sorted link list

## Insertion Sort Algorithm

0	1	2	3	4
9	7	3	6	2

a: array of items

n: size of list

Start:

1. Declare variables - i, key, j



2. loop: i ~~to~~ to n-1 // outer loop

2.1 key = a[i];

2.3 Loop: (j > 0 && array[j] > key)  
// inner loop

2.3.1 arr[j+1] = arr[j];

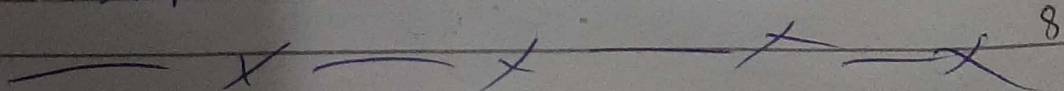
2.3.2 j = j - 1;

end loop // inner loop

2.4. arr[j+1] = key;

end loop. // outer loop

Stop.



Q2: Write a program to insert a new element in given unsorted array at  $K^{\text{th}}$  position.

Ans:

```
#include <stdio.h>
```

```
#include <stdio.h>
```

```
int main()
```

```
{  
  int arr[100] = {0}
```

```
  int i, k pos, n = 10;
```

```
  // initial array of size 10
```

```
  for (i = 0; i < 10; i++)
```

```
    arr[i] = i + 1.
```

```
  // print the original array  
  for (i = 0; i < n; i++)
```

```
    arr[i] = i + 1
```

```
    printf ("%d" arr[i]);
```

```
  printf ("\n");
```



```
// element to be inserted
```

```
k = 50;
```

```
// position at which element
```

```
// is to inserted
```

```
pos = 5;
```

```
// increase the size by 1
```

```
n++;
```

```
// shift element forward
```

```
for (i = n; i >= pos; i--)
```

```
arr[i] = arr[i-1];
```

```
// insert k at pos.
```

```
arr[pos-1] = k;
```

```
// print the updated array
```

```
for (i = 0; i < n; i++)
```

```
printf ("%d ", arr[i]);
```

```
printf ("\n");
```

```
return 0;
```

```
}
```

~~\_\_\_\_\_~~

Q4. The adjacency list representation of a graph with five vertices A, B, C, D, E is given below

A → B

B → C, D

C → E

D → C

E → A, E

A)

Adjacency matrix is given below for directed graph.

	A	B	C	D	E
A	0	1	0	0	0
B	0	0	1	0	0
C	0	0	0	1	1
D	0	0	0	1	0
E	1	0	0	0	0

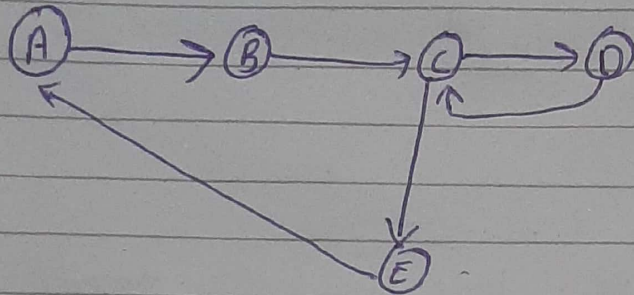


B) Draw the graph.

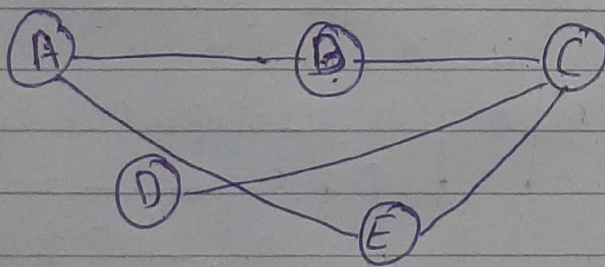
A Graph (G) has two sections, the vertices & edges set  $V$  and  $E$  edges are represented as set  $E$ . so the graph not is  $G(V, E)$

~~Ans~~

Now graph for given adjacency List is



For ~~undirected~~ Undirected graph



A	A	B	C	D	E
B	1	1	0	0	1
C	1	1	1	0	0
D	0	1	0	1	1
E	1	0	1	0	0

A	A	B	C	D	E
B	0	1	0	0	1
C	0	1	0	1	1
D	0	0	1	0	0
E	1	0	1	0	0