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8th

Subject

Radar & Satellite

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Assignment

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Course Details

Course Title: Radar and Satellite Communications Module: 8th
Instructor: _____ Total: 20
Marks:
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Deadline

Student Details

Name: _____ Student ID: _____

Student Signature: _____

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|-----|---|--------------------|
| Q1. | <p>Which type of satellite orbit provides the best performance for a communications network for each of the following criteria:</p> <p>(a) Minimum free space path loss. (b) Best coverage of high latitude locations. (c) Full global coverage for a mobile communications network. (d) Minimum latency (time delay) for voice and data networks. (e) Ground terminals with little or no antenna tracking required.</p> | Marks 05 CLO 01 |
| Q2. | <p>An FSS ground terminal located in Chicago, IL, at latitude 41.5° N and longitude 87.6° W has access to two GSO satellites, one stationed at 70° W longitude and the second at 135° W longitude. Which satellite will provide the more reliable link (higher elevation angle) for the ground terminal? The ground terminal elevation above sea level is 0.5 km. Assume 0° inclination angle for the satellites.</p> | Marks 05 CLO 03 |
| Q3. | <p>AVSAT receiver consists of a 0.66m diameter antenna, connected to a 4 dB noise figure low noise receiver (LNR) by a cable with a line loss of 1.5 dB. The LNR is connected directly to a downconverter with a 10 dB gain and 2800° K noise temperature. The I.F. amplifier following the downconverter has a noise figure of 20 dB. The LNR has a gain of 35 dB. The antenna temperature for the receiver was measured as 65° K.</p> <p>(a) Calculate the system noise temperature and system noise figure at the receiver antenna terminals. (b) The receiver operates at a frequency of 12.5 GHz. What is the G/T for the receiver, assuming a 55% antenna efficiency?</p> | Marks 03 CLO 02 |
| Q4. | <p>The downlink transmission rate for a QPSK modulated SCPC satellite link is 60 Mbps. The Eb/No at the ground station receiver is 9.5 dB.</p> <p>a) Calculate the C/No for the link. b) Assuming that the uplink noise contribution to the downlink is 1.5 dB, determine the resulting BER for the link.</p> | Marks 02 CLO 02 |
| Q5. | <p>An automobile is moving toward a stationary police radar at 65 statute miles per hour. The car's velocity vector is coincident with the axis of radar. The radar transmits on a frequency of 24.150GHz, in the K-Band. Calculate the frequency of the received echo signal and the Doppler shift?</p> | Marks 02 CLO 02 |
| Q 6 | <p>Many tactical radars have antenna beamwidths of about 3°. Determine that how far apart in cross-range must two targets at the same range of 24.5nmi in order to be resolved?</p> | Marks 03 CLO 02 |

Question No 1:-

Ans:- (A) The LEO Orbit have minimum

free space path losses, because those orbits are near to the earth and thus losses.

(B) LEO orbit satellite also provide a good coverage high latitude area.

(C) Satellite in GSO orbit give full global coverage for a mobile communication network

(D) LEO satellite provide ~~min~~ ~~near~~ minimum latency as they are nearer.

(E) The GSO orbit the satellite completes its revolution ~~in~~ equal to the earth to ~~the~~ rotation.

Question No 2:-Solution:-

Data

$$L_E = 41.5^\circ N = + 41.5$$

$$L_E = 87.6^\circ W = - 87.6$$

$$H = 0.5 \text{ Km}$$

Now

Now there are two satellite Sat 1 and

sat 2 longitude for satellite 1

$$L_{S1} = 70^\circ W = - 70$$

For sat 2 $L_{S2} = 135^\circ W = - 135$

We know that

$$Q = \cos^{-1} \left(\frac{r_e + \text{base}}{d} \sqrt{1 - \cos^2(B) - \cos^2(L_E)} \right)$$

For finding the revolution angle.

$$R = \sqrt{R^2 + z^2}$$

$$L = \left(\frac{r_e}{\sqrt{1 - e^2 \sin^2(L_E)}} + H \right) \cos(L_E)$$

Putting the value we get

$$l = \left(\frac{6378.13}{1 - (0.08182)^2 \sin^2(41.5)} + 0.5 \right) \cos(41.5)$$

$$l = \left(\frac{6378.13}{\sqrt{1 - (0.69 \times 10^{-3})(0.4398)}} + 0.5 \right) (0.745)$$

$$l = \left(\frac{6378.13}{\sqrt{0.99706}} + 0.5 \right) (0.7489)$$

$$l = \left(\frac{(6388.21)(0.7489)}{0.99706} \right) + 0.5(0.7489)$$

$$l = \boxed{4784.13 \text{ km}}$$

Now find z .

$$z = \left(\frac{r_e(1 - e^2)}{\sqrt{1 - e^2 \sin^2(LE)}} + H \right) \sin(LE)$$

$$z = \left(\frac{6378.13(1 - 69 \times 10^{-3})}{0.9985} + 0.5 \right) (0.6626)$$

$$z = \frac{6335.46}{0.9985} + 0.5 (0.6626)$$

$$z = (6345.47) (0.6626)$$

$$z = \boxed{4204.51 \text{ km}} \longrightarrow \textcircled{11}$$

Now Find R.

$$R = \sqrt{R^2 + z^2}$$

$$R = \sqrt{(4204.15)^2 + (4784.13)^2}$$

$$R = \sqrt{40565804.2}$$

$$R = \boxed{6369.12 \text{ km}}$$

$$\psi_e = \tan^{-1}(z/R)$$

(5)

$$\psi_E = \tan^{-1} \left(\frac{4204.57}{4784.13} \right)$$

$$\psi_E = \tan^{-1} (0.8788)$$

$$\psi_E = 41.31^\circ$$

Now we find the differential longitude for the both satellite.

$$\begin{aligned} \beta_1 &= R_E + L_{S1} \\ &= -87.6 - (-135) \\ &= -87.6 + 135 \\ &= 47.4 \end{aligned}$$

Now we find ranges.

$$d_1 = \sqrt{R^2 + r_2^2 + 2R_1 r_2 \cos \psi_E \cos(\beta_E)}$$

$$\begin{aligned} &= \sqrt{(6369.12)^2 + (42164.17)^2 - 2(6369.12)(42164.17) \cos(41.31^\circ) \cos(17.6)} \end{aligned}$$

$$d_2 = 37865.9 \text{ Km}$$

$$d_2 = \sqrt{R^2 + r_s^2 - 2R \cdot r_s \cos(\psi_E) \cos(\beta_2)}$$

$$d_2 = \sqrt{(6369.12)^2 + (42164.17)^2 - 2(6369.12)(42164.17) \cos(41.31) \cos(47.4)}$$

$$= 39310.35 \text{ Km}$$

New elevation angle :-

$$Q_2 = \cos^{-1} \left[\frac{r_e + \text{base}}{d_1} \sqrt{1 - \cos^2(17.6) \cos(41.5)} \right]$$

$$= \cos^{-1} \frac{6378.14 + 35786}{37865.9} \sqrt{1 - (0.9085)(0.5609)}$$

$$= \cos^{-1} (1.11353) \sqrt{1 - (0.5376)}$$

$$= \cos^{-1} 1.11353 \sqrt{0.46237}$$

$$Q_1 = \cos^{-1}(1.11353)(0.67998)$$

$$\boxed{Q_1 = 40.78^\circ}$$

$$Q_2 = \cos^{-1}\left(\frac{r_{e+base}}{d_2} \sqrt{1 - \cos^2(B_2) \cos(L_2)}\right)$$

$$Q_2 = \cos^{-1} \frac{6378.14 + 85786}{39310.36} \sqrt{1 - (0.4582)(0.6605)}$$

$$Q_2 = \cos^{-1} \frac{42164.16}{39310.36} \left(\sqrt{0.74299} \right)$$

$$Q_2 = \cos^{-1}(1.072596)(0.86197)$$

$$Q_2 = \cos^{-1}(0.92454)$$

$$\boxed{Q_2 = 22.39^\circ}$$

As $Q_1 = 40.39^\circ$

$Q_2 = 22.39^\circ$

so the satellite at 70°
has more reliable link as
compare to 135° .

Question No 3:-Solutions:-

Data

Antenna Diameter $d = 0.66 \text{ m}$.LNR has Noise Figure = $NF = 4 \text{ dB}$ Cable Line Loss = $A = 1.5 \text{ dB}$.Down converter gain = $G_{oc} = 10 \text{ dB}$.Down Converter temp = 2800 K Amplifier has $NF = 20 \text{ dB}$.LNR has gain $G = 35 \text{ dB}$.Antenna temp = 65 K .

Find

$$T_s = ?$$

$$NF_s = ?$$

Formula:-

$$T_s = \left[T_A + T_{LA} + \frac{290(1-\epsilon)}{g_{LA}} + \frac{T_{DC}}{1/2 g_{LA}} + \frac{T_{LE}}{g_{DC}(1/2)g_{LA}} \right] \text{--- (1)}$$

(9)

Now find the value of each gain and noise temp.

Antenna: $t_A = 65^\circ\text{K}$.

LNR $t_{LA} = 290 \left(10^{\frac{NF}{10}} - 1 \right)$
 $= 290 \left(10^{\frac{4}{10}} - 1 \right)$
 $= 290 (1.51)$

$$t_{LA} = 438\text{K}$$

parameter: ~~t_{AC}~~ $t_{OC} = 2400^\circ\text{K}$

IF Amp $t_{IF} = 290 \left(10^{\frac{NF}{10}} - 1 \right) = 290 \left(10^{\frac{20}{10}} - 1 \right)$
 $= 290 (99)$

$$t_{IF} = 28710\text{K}$$

IF Amplifier $t_{IF} = 28710^\circ\text{K}$

Line $t_{in} = 290 (2 - 1)$
 $= 290 \left(10^{\frac{1.5}{10}} - 1 \right)$

$$= 290 (0.41)$$

$$t_{\text{TH}} = 119^{\circ}\text{K}$$

Now we calculate respective gain

$$\text{Since } G(\text{dB}) = 10 \log(g)$$

$$g_{\text{LA}} = 10^{35/10} = 3162$$

$$g_{\text{DC}} = 10^{10/10} = 10$$

$$1/Q = \frac{1}{10^{1.5/10}} = \frac{1}{10^{0.15}} = 0.707$$

Now put all above calculator values.

$$t_s = 65 + 438 + \frac{119}{3162} + \frac{2800}{(0.707)(3162)} + \frac{287.10}{10(0.707)(3162)}$$

$$t_s = 65 + 438 + 0.038 + 1.252 + 1.286$$

$$t_s = 505.57 \text{ K}$$

We have system noise formula.

$$NES = 10 \log (1 + v_s/290)$$

$$NES = 10 \log (1 + v_s/290)$$

$$= 10 \log (1 + 505.57/290)$$

$$= 10 \log (1 + 1.743)$$

$$= \boxed{4.382 \text{ dB}}$$

(B) Find figure for merit = $M = G/T = ?$

$$f = 12.5 \text{ GHz}, \eta_A = 0.55, d = 0.66 \text{ m}$$

We first solve for G in dB as:

$$G_T = 10 \log (109.66 \times (12.5)^2 \times (0.66)^2 \times 0.55)$$

$$= 10 \log (4105.05)$$

$$G_T = 36.13 \text{ dB}$$

then $F_s =$

$$\begin{aligned} T_s &= 10 \log (t_s) \\ &= 10 \log (505.57) \\ &= 27.03 \text{ dB/K.} \end{aligned}$$

$$\begin{aligned} M &= G/T = G_r - T_s \\ &= 36.13 \text{ dB} - 27.03 \end{aligned}$$

$$G/T = 9.1 \text{ dB/K}$$

Question No 4 :-

Solution :-

Data.

$$R_b = \text{Bit rate} = 60 \text{ Mbps}$$

$$E_b/N_s = 9.5 \text{ dB}$$

(a) Find $C/N_0 = ?$

we know that

$$\frac{E_b}{n_0} = \frac{1}{R_b} (C/N_0) \quad \text{--- (1)}$$

convert it dB.

$$\frac{E_b}{N_0} = 10 \log (E_b/n_0)$$

$$9.5 = 10 \log (E_b/n_0)$$

$$E_b/n_0 = 8.912$$

put the value in eq (1).

$$8.912 = \frac{1}{60 \text{ mbps}} (C/N_0)$$

$$C/n_0 = ~~8.912~~ 8.912 \times 60 \times 10^6 \text{ bps}$$

$$= ~~8.912~~ 534.72 \times 10^6$$

$$= 10 \log (534.72 \times 10^6)$$

$$\frac{C}{n_0} = 87.282 \text{ BHz}$$

(b) As $\frac{E_b}{N_0} = 9.5 \text{ dB}$ and we have

(14)

uplink noise contribute to downlink
is 1.5 dB

Now

$$\frac{E_b}{N_0} = 9.5 \text{ dB} - 1.5 \text{ dB} - 8 \text{ dB}$$

$$\frac{E_b}{N_0} = 10^{0.8}$$

$$\frac{E_b}{N_0} = 6.309$$

We know that

$$\text{BER} \approx \frac{e^{-(E_b/N_0)}}{\sqrt{4\pi(E_b/N_0)}}$$

$$\approx \frac{e^{-(6.309)}}{\sqrt{4\pi(3.14)(6.309)}}$$

$$\approx \frac{1.819 \times 10^{-3}}{8.904}$$

$$\text{BER} \approx 2.0429 \times 10^{-4}$$

Question No 5:-

(15)

Solution:- Data

Moving automobile has $V_R = 65$ smph

Radar transmittes $f_{\text{req}} = 24.1504 \text{ Hz}$

$$f_d = ?$$

$$f_R = ?$$

First we convert V_R from smph to m/s

$$f_d = 2\pi V_R/c$$

$$= \frac{(2)(24.150 \times 10^9)(29.0576)}{3 \times 10^8}$$

$$f_d = 4678.2736 \text{ Hz}$$

We also know that

$$f_d = f_R - f_T$$

$$f_R = f_d + f_T$$

$$= 24.150 + 0.0000046782736$$

$$\boxed{f_R = 24.150004678273 \text{ GHz}}$$

Question No 6 :-

Solution :- Antenna beamwidth = $\theta_3 = 3^\circ$

$$\text{Range from order} = R = 24.5 \text{ nmi} = 45,374 \text{ m.}$$

How far apart should be the ~~two~~ targets in the cross-range to be resolved.

$$\Delta x = R \theta_3 \left(\frac{\pi}{180^\circ} \right)$$

$$\Delta x = 45374 \times 3 \times \frac{\pi}{180}$$

$$\Delta x = 2,374.571$$

$$\Delta x = 2400 \text{ m.}$$

if we relate the antenna beamwidth to the ~~band~~ wavelength of EMW and antenna length.

$$\theta_3 = \lambda / D_{eff} \text{ (radian)}$$

$$\theta_3 = \lambda / D_{eff} (180/\lambda) \text{ (degree)}$$

λ is signals wave length D_{eff} in the effective length of antenna. the D_{eff} size is about 0.7 times to its actual size, so

we can use antenna dimension and the ~~cross angle~~ cross-range resolution become.

$$\Delta x \approx \frac{R\lambda}{D_{eff}} \text{ (meter)}$$