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Section "B"

Sub: Advanced Engineering

Surveying

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ENGINEERING

(1)

Q NO#01 part (a) \rightarrow Two tangents meet at a chainage of $(1.1D)$ ft with the deflection angle of $14^{\circ}13'23''$. Degree of curve is 5° .

- 1) \rightarrow Chainage at the beginning and end of the curve
- 2) \rightarrow length of long chord.
- 3) \rightarrow Mid ordinate and External distance.

SOLUTION:

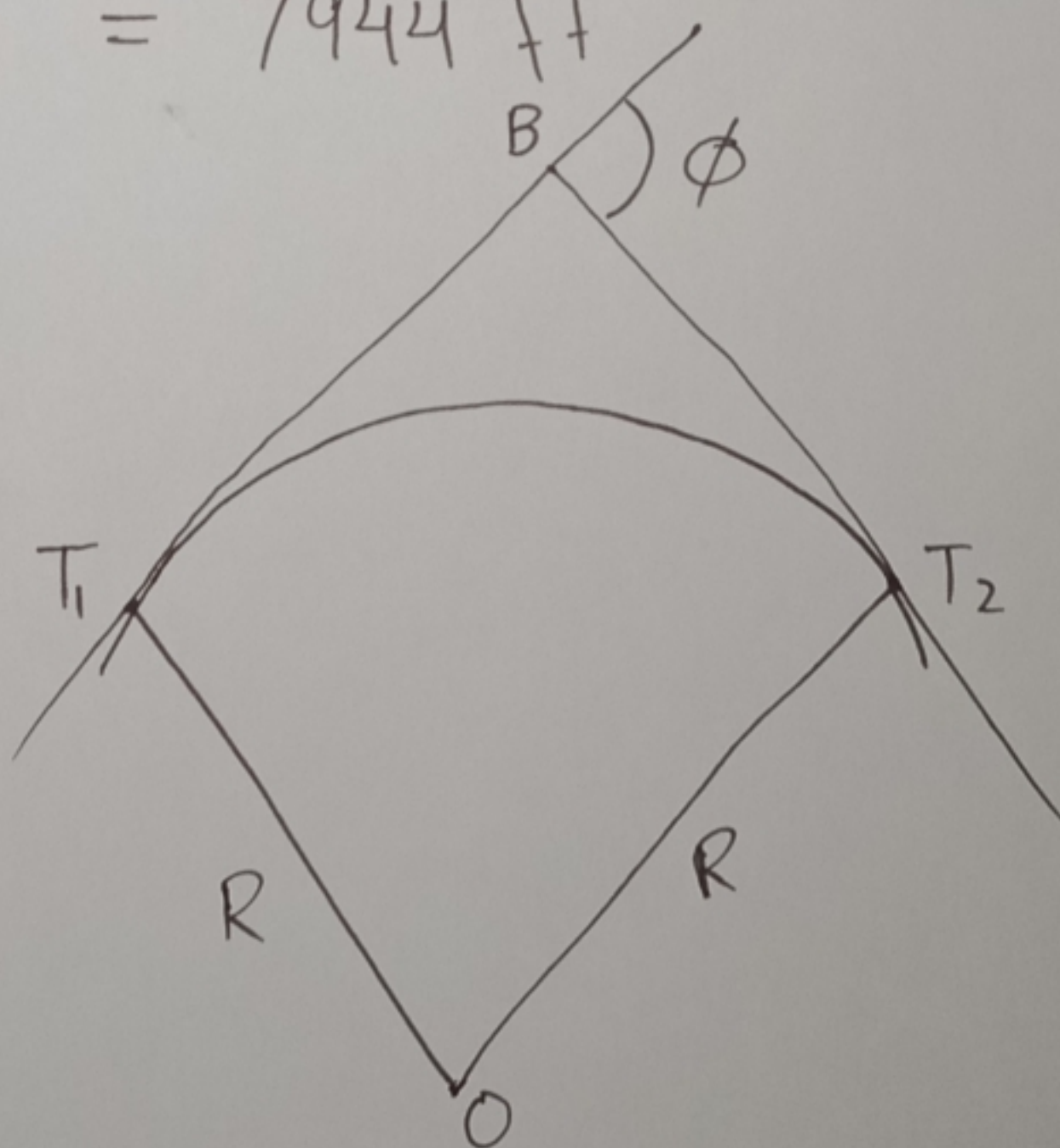
Given data \rightarrow

deflection angle $\phi = 14^{\circ}13'23''$.

Degree of the Curve = 5°

Chainage of Intersection point Assume 1D in

feet $S_0 = 7944$ ft

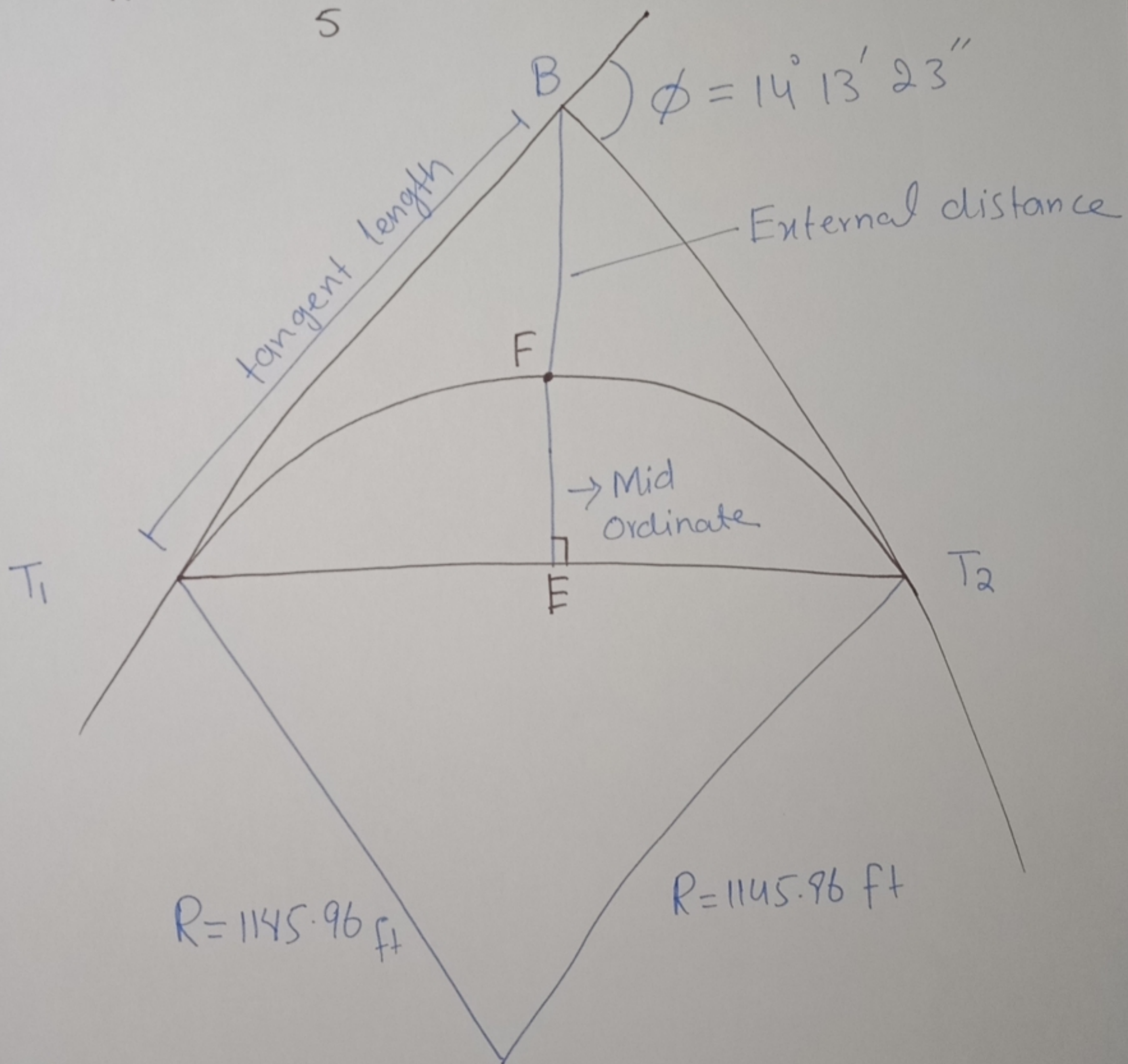


Now First of ² all we find the Radius of the curve from degree of the curve.

$$\text{Degree} = 5^\circ$$

$$R = \frac{5729.8}{D}$$

$$R = \frac{5729.8}{5} = 1145.96 \text{ ft}$$



For tangent ³ length
 $T_1B = BT_2 = R \tan \frac{\phi}{2}$

$$T_1B = BT_2 = 1145.96 \tan \frac{14^\circ 12' 23''}{2}$$

$$\boxed{T_1B = BT_2 = 142.8 \text{ ft}} \rightarrow \text{tangent length.}$$

Now we find length of the
Curve

$$L = \frac{\pi R \phi}{180^\circ} = \frac{(3.14)(1145.96)(14^\circ 13' 23'')}{180}$$

$$\boxed{L = 284.32 \text{ ft}}$$

Chainage of Intersection point = 7944 ft

Minus tangent length = -142.8 ft

Chainage of T_1 = 7801.2 ft

Add the length of Curve = +284.32 ft

Chainage of T_2 = 8085.52 ft

For length of the Chord:

we have formula: \rightarrow

$$\text{Length of the chord} = 2R \sin \frac{\phi}{2}$$

So

$$\text{length of chord} = 2(1145.96) \sin\left(\frac{14^{\circ}13'23''}{2}\right)$$

$$l = 283.74 \text{ ft}$$

Mid Ordinate

$$EF = R - R \cos \frac{\phi}{2}$$

$$EF = R \left(1 - \cos \frac{\phi}{2}\right)$$

So

$$R = 1145.96$$
$$\phi = 14^{\circ}13'23''$$

$$EF = 1145.96 \left(1 - \cos \left(\frac{14^{\circ}13'23''}{2}\right)\right)$$

$$EF = 8.81 \text{ ft}$$

External distance

$$FB = R \left(\sec \frac{\phi}{2} - 1\right)$$

$$= R \left(\frac{1}{\cos \frac{\phi}{2}} - 1\right)$$

$$= 1145.96 \left(\frac{1}{\cos \frac{14^{\circ}13'23''}{2}} - 1\right)$$

$$FB = 8.88 \text{ ft}$$

Q NO # 01 part (b) :→ Find the area from the data obtained from chain-survey, as shown in table below, by using Simpson's One third Rule. The first offset is your 10 ÷ 1000 m.

SOLUTION:→

chainage(m)	0	30	60	90	120	150
offset (m)	7.944	7.944+3	7.944+4	7.944-2	7.944-4	7.944-3

So

Chainage ^(m)	0	30	60	90	120	150
offsets(m)	7.944	10.944	11.944	5.944	3.944	4.944

We have formula:→

$$\text{Area} = \frac{b}{3} (X + 2O + 4E)$$

Where X = Sum of first and last offset

O = Sum of The Remaining odd offsets.

E = Sum of the even offset.

There are six Number of offsets. According to the Simpson's Rule we assume odd number of offset.

offset NO	offset	(b) Simpsons Multiplier	Product
1	7.944	1	7.944
2	10.944	4	43.776
3	11.944	2	23.888
4	5.944	4	23.776
5	3.944	1	3.944

$$\Sigma = 103.328$$

$$\text{Area } (h_1 - h_5) = \frac{30}{3} * 103.328$$

$$= 1033.28 \text{ m}^2$$

Now we find The Remaining Area

$$\text{Area } (h_5 - h_6) = \left(\frac{h_5 + h_6}{2} \right) b$$

$$\text{So } \Rightarrow \left(\frac{3.944 + 4.944}{2} \right) * 30$$

$$\Rightarrow 133.32 \text{ m}^2$$

$$\text{Total Area} = 133.32 + 1033.28$$

$$= 1166.6 \text{ m}^2$$

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Q NO # 02 A circular curve of Radius
(10-200)m deflecting Right through $20^{\circ}40'$
is to be set out between two straight
having chainage of the point of
intersection as (10-400)m. Calculate all
Necessary Data for setting out the
curve using deflection angle Method with
peg interval 20m.

SOLUTION \rightarrow

Given Data: \rightarrow

Radius $\Rightarrow 10-200 = 7944-200 = 7744\text{m}$

It is too large again we subtract 7000m
from this so

$$7744 - 7000 \Rightarrow 744\text{m}$$

$$R = 744\text{m}$$

Chainage of Intersection point

$$\Rightarrow 7944 - 400 = 7544\text{m}$$

Peg interval = 20m

$$\text{Length of the curve} = L = \frac{\pi R \phi}{180}$$

$$\text{Deflection Angle} = \phi = 20^{\circ}40'$$

$$L = \frac{(3.14)(744)(20^{\circ}40')}{180}$$

$$L = 268.225 \text{ m}$$

So Chainage of Intersection point = 7544 m

Tangent length \Rightarrow

$$T_1 B = T_2 B = R \tan \frac{\phi}{2} = 744 \tan \frac{20^{\circ}40'}{2}$$

$$T_1 B = T_2 B = 135.65 \text{ m}$$

Chainage of intersection point = 7544 m

Minus tangent length = -135.65 m

Chainage of T_1 = 7408.35 m

Plus length of Curve = + 268.225 m

Chainage of T_2 = 7676.575 m

length of first chord

$$C_1 = 7420 - 7408.35 = 11.65 \text{ m}$$

$$C_1 = 11.65$$

No of chords = $\frac{\text{length of curve} - C_1}{\text{Interval}}$

$$\text{No of Chords} = \frac{268.225 - 11.65}{20}$$

$$\text{No of Chords} = 12.828$$

we can say 12 chords of
20m.

$$C_2 = C_3 = C_4 = C_5 = C_6 = C_7 = C_8 = C_9 = C_{10} = C_{11} = C_{12} = C_{13} = 20$$

$$C_2 - C_{13} \Rightarrow 20m$$

$$C_{14} = 7676.575 - 7660 = 16.575m$$

Deflection Angle \Rightarrow

$$\delta_1 = \frac{1718.9 * C_1}{60 * R} = \frac{1718.9 * 11.65}{60 * 744}$$

$$\delta_1 = 0^\circ 26' 54.93''$$

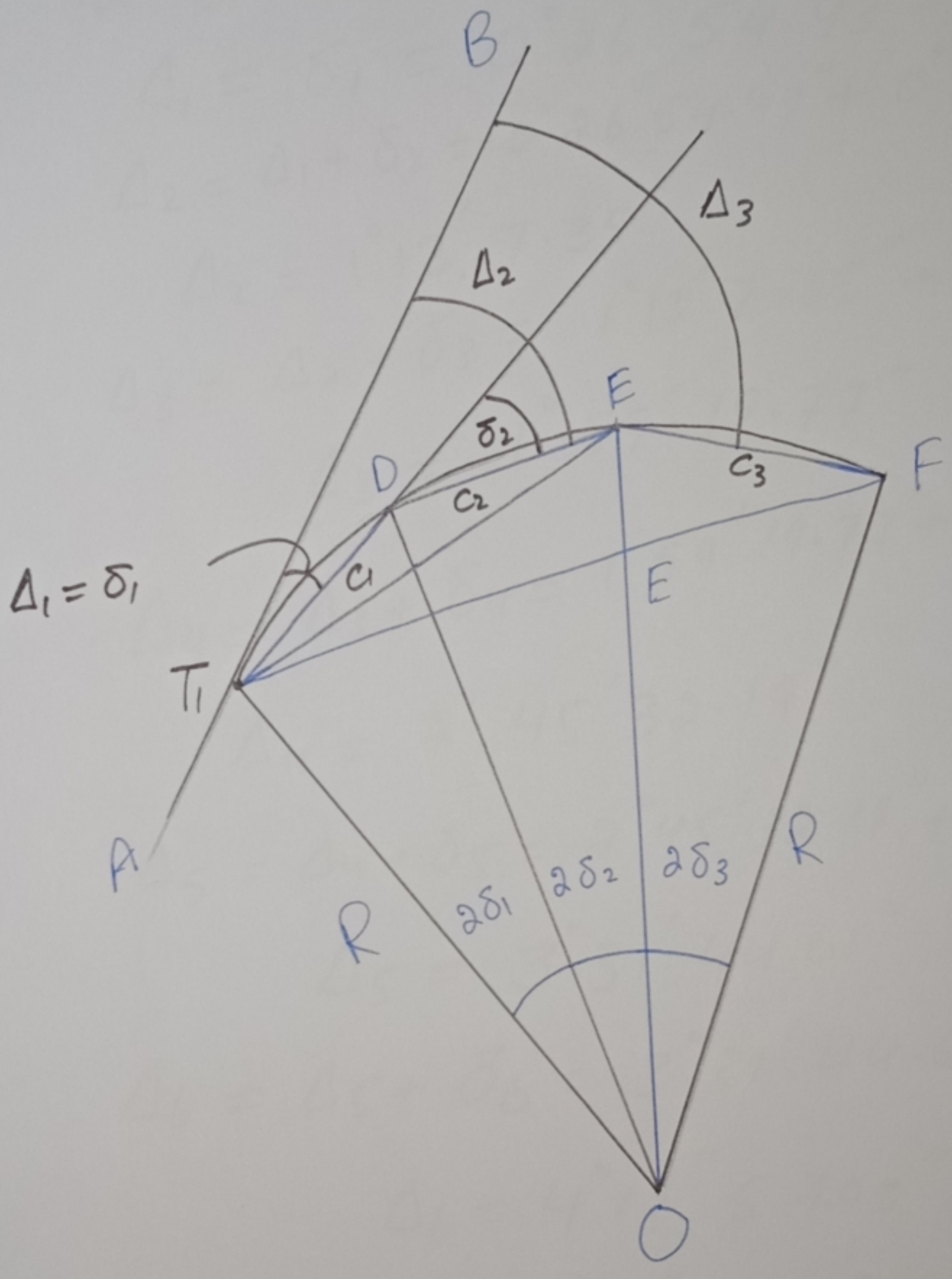
$$\delta_2 = \frac{1718.9 * C_2}{60 * R} = \frac{1718.9 * 20}{60 * 744}$$

$$\delta_2 = 0^\circ 46' 12.42''$$

$$\delta_2 \text{ — } \delta_{13} = 0^\circ 46' 12.42''$$

$$\delta_{14} = \frac{1718.9 * C_{14}}{60 * R} = \frac{1718.9 * 16.575}{60 * 744}$$

$$\delta_{14} = 0^\circ 38' 17.64''$$



Total deflection || (tangential) angle for
the chords are:

$$\Delta_1 = \delta_1 = 0^\circ 26' 54.93''$$

$$\Delta_2 = \Delta_1 + \delta_2 = 0^\circ 26' 54.93'' + 0^\circ 46' 12.42''$$

$$\Delta_2 = 1^\circ 13' 7.35''$$

$$\Delta_3 = \Delta_2 + \delta_3 = 1^\circ 13' 7.35'' + 0^\circ 46' 12.42''$$

$$\Delta_3 = 1^\circ 59' 19.77''$$

$$\Delta_4 = \Delta_3 + \delta_4 = 1^\circ 59' 19.77'' + 0^\circ 46' 12.42''$$

$$\Delta_4 = 2^\circ 45' 32.19''$$

$$\Delta_5 = \Delta_4 + \delta_5 = 2^\circ 45' 32.19'' + 0^\circ 46' 12.42''$$

$$\Delta_5 = 3^\circ 31' 44.61''$$

$$\Delta_6 = \Delta_5 + \delta_6 = 3^\circ 31' 44.61'' + 0^\circ 46' 12.42''$$

$$\Delta_6 = 4^\circ 17' 57.03''$$

$$\Delta_7 = \Delta_6 + \delta_7 = 4^\circ 17' 57.03'' + 0^\circ 46' 12.42''$$

$$\Delta_7 = 5^\circ 4' 9.45''$$

$$\Delta_8 = \Delta_7 + \delta_8 = 5^\circ 4' 9.45'' + 0^\circ 46' 12.42''$$

$$\Delta_8 = 5^\circ 50' 21.87''$$

$$\Delta_9 = \Delta_8 + \delta_9 = 5^\circ 50' 21.87'' + 0^\circ 46' 12.42''$$

$$\Delta_9 = 6^\circ 36' 34.29''$$

$$\Delta_{10} = \Delta_9 + \delta_{10} = 6^\circ 36' 34.29'' + 0^\circ 46' 12.42''$$

$$\Delta_{10} = 7^\circ 22' 46.71''$$

$$\Delta_{11} = \Delta_{10} + \delta_{11} = 7^\circ 22' 46.71'' + 0^\circ 46' 12.42''$$

$$\Delta_{11} = 8^\circ 8' 59.13''$$

$$\Delta_{12} = \Delta_{11} + \delta_{12} = 8^\circ 8' 59.13'' + 0^\circ 46' 12.42''$$

$$\Delta_{12} = 8^\circ 55' 11.55''$$

$$\Delta_{13} = \Delta_{12} + \delta_{13} = 8^\circ 55' 11.55'' + 0^\circ 46' 12.42''$$

$$\Delta_{13} = 9^\circ 41' 23.97''$$

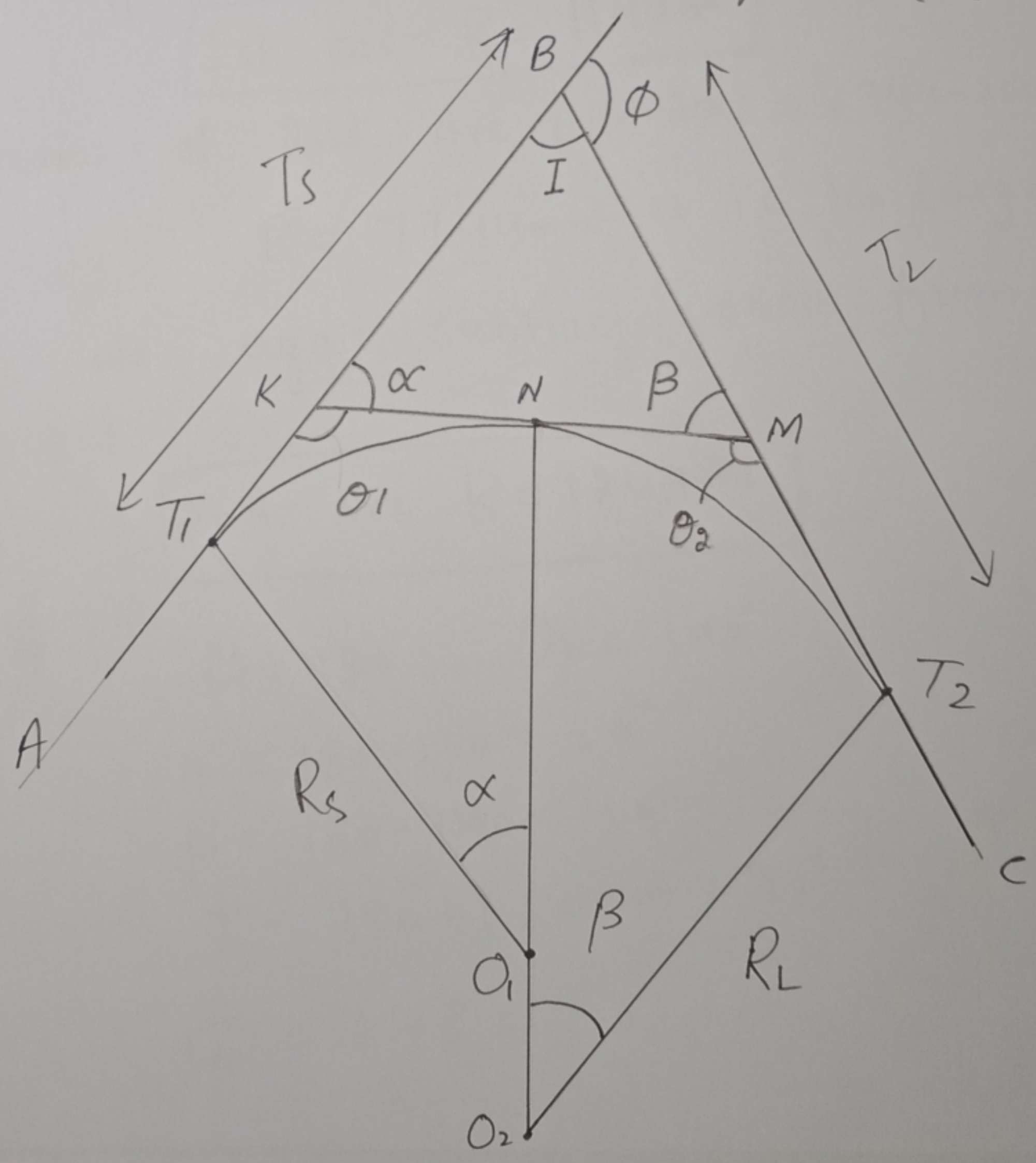
$$\Delta_{14} = \Delta_{13} + \delta_{14} = 9^\circ 41' 23.97'' + 0^\circ 38' 17.64''$$

$$\Delta_{14} = 10^\circ 19' 41.61''$$

Check $\frac{\Phi}{2} \Rightarrow \frac{20^\circ 40'}{2} = 10^\circ 20'$

So $10^\circ 20' \approx 10^\circ 19' 41.61''$

QNO#03 : Two tangents AB & BC are intersected by a line KM. The angle of AKM and KMC are 130° & 140° respectively. The Radius of 1st arc is (10-300) and 2nd arc is (10-200)m. Find the chainage of tangent point and the point of compound curve given that the chainage of intersection point (10-400)m.



SOLUTION \Rightarrow

$$\angle AKM = 130^\circ$$

$$\angle KMC = 140^\circ$$

Radius of first arc $(11D - 300) = 7944 - 300$

$\Rightarrow 7644m$ it is too large

again we subtract 6500 from this value

we get

$$\boxed{\text{1st arc } R = 1144m}$$

Radius of 2nd Arc $(11D - 200) = 7944 - 200$

$R = 7744m$ — it is too large

So we again subtract 6500 from this

we get

$$\boxed{\text{2nd Arc } R = 1244m}$$

$$\& \quad \theta_1 = 130^\circ, \quad \theta_2 = 140^\circ$$

$$\alpha = 180 - 130 = 50^\circ$$

$$\beta = 180 - 140 = 40^\circ$$

$$I = 180 - (50 + 40) = 90^\circ$$

$$\phi = \alpha + \beta = 90^\circ$$

Tangent length of small Radius of Curve
 $T_1K = KN = R \tan \frac{\alpha}{2} = 1144 \tan \frac{50}{2} = 533.45m$

$$T_1K = KN = 533.45m$$

Tangent length of large Radius of Curve

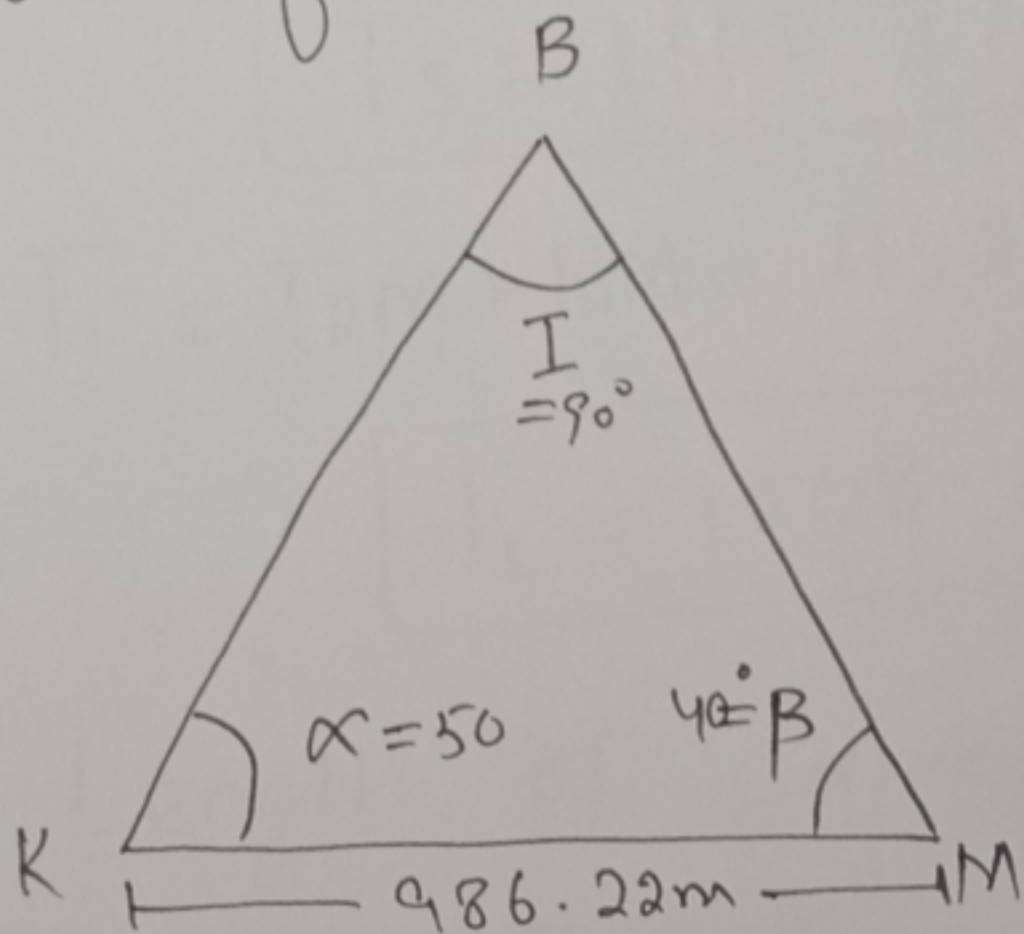
$$T_2M = MN = R \tan \frac{\beta}{2} = 1244 \tan \frac{40}{2} = 452.77m$$

$$T_2M = MN = 452.77m$$

So $KM = MT_2 + \cancel{MN}NK = 452.77 + 533.45$

$$KM = 986.22m$$

Now from the Triangle



Now we can find BK and BM By

Sine Rule: $\rightarrow \frac{BK}{\sin \beta} = \frac{MK}{\sin I}$

$$BK = \frac{MK \sin \beta}{\sin I} = \frac{986.22 \sin 40^\circ}{\sin 90^\circ}$$

$$BK = 633.929 \text{ m}$$

$$\frac{BM}{\sin \alpha} = \frac{MK}{\sin I}$$

$$BM = \frac{MK \sin \alpha}{\sin I} = \frac{986.22 \sin 50^\circ}{\sin 90^\circ}$$

$$BM = 755.48 \text{ m}$$

$$T_s = T_{IK} + KB = 533.45 + 633.929$$

$$T_s = 1167.379 \text{ m}$$

$$T_L = T_{2M} + BM = 452.77 + 755.48$$

$$T_L = 1208.25 \text{ m}$$

∴

Length of curve of small Radius: →

$$L_s = \frac{\pi R_s \alpha}{180^\circ} = \frac{(3.14)(1144)(50)}{180^\circ}$$

$$L_s = 997.8 \text{ m}$$

Length of Curve of large Radius.
OR
2nd Arc Radius.

$$\text{So } L_L = \frac{\pi R_L \beta}{180} = \frac{(3.14)(1244)(40)}{180}$$

$$L_L = 868.03 \text{ m}$$

Now we can find chainage
at different point of the Curve.
 \Rightarrow Chainage of Intersection point $(10-400) \text{ m}$
So $7944 - 400 = 7544 \text{ m}$

\rightarrow Chainage of Intersection point $= 7544 \text{ m}$

\rightarrow Minus Tangent length $T_s = -1167.379 \text{ m}$

\rightarrow Chainage of $T_1 = 6376.63 \text{ m}$

\rightarrow Plus length $L_s = +977.8 \text{ m}$

\rightarrow Chainage at N point $= 7354.43 \text{ m}$

\rightarrow Plus length $L_L = +868.03 \text{ m}$

\rightarrow Chainage of $T_2 = 8222.46 \text{ m}$
