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Section: A  
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Subject: Basic electro  
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Q1  
Parta

Answer

Diode is an electromagnetic component that has two terminals, and limit current to one direction.

- \* Diode has an anode and cathode.
- \* positive current normally flow from the anode ~~to the~~ cathode.
- \* Diode are useful for protecting circuitry from harmful voltage.
- \* Diodes are basic building block of charge the collecting element in many detectors.

Half wave Rectifier

It is the equivalent circuit of the half wave rectifier with diode replaced with its battery plus-resistance model

- \* Transfer the characteristics of the rectifier circuit
- \* Input and output waveforms, Assuming that  $R_D \ll R_L$

\* It converts that cycle of applied A.C signal into D.C signal.

\* ordinary transformer is used

## Full wave Rectifier

The transfer characteristics assuming a constant voltage drop model for the diode

- \* ip input and output wave form
- \* Centre tap transformer is used
- \* It converts the whole cycle of applied A.C signal into D.C signal.

Part B

## solution

Required final temperature of mixture

Sol - Lose heat = Gain heat

$$- [(Cu) (mass) (\Delta T)] = (H_2O) (mass) (\Delta T)$$

$$\therefore [(0.129 J/g^{\circ}C) (97g) (T_F - 785^{\circ}C)] = [(4.184 J/g^{\circ}C) (323) (T_F - 15^{\circ}C)]$$

~~12.5(T\_F - 785) = 1.35 \times 10^3 (T\_F - 15)~~

$$- [12.5 (T_F - 785^{\circ}C)] = (1.35 \times 10^3) (T_F - 15^{\circ}C)$$

$$- 12.5 T_F + 9.82 \times 10^3 = 1.35 \times 10^3 T_F - 2.02 \times 10^4$$

$$3 \times 10^4 = 1.36 \times 10^3 T_F$$

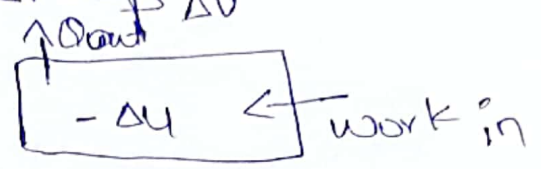
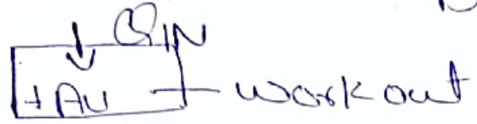
$$T_F = 22.1^{\circ}C \text{ Ans}$$

Q no 2  
Part A

Isobaric process

Constant pressure,  $\Delta P = 0$

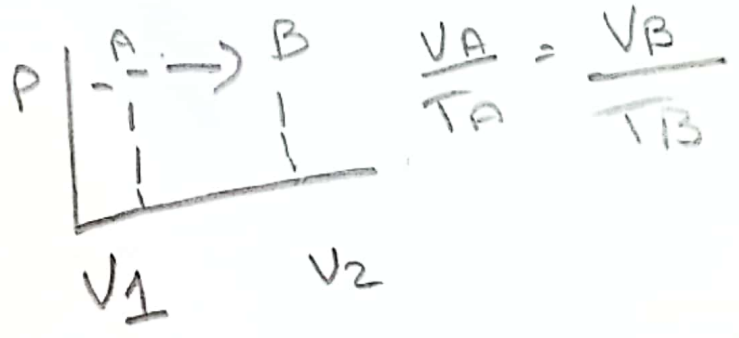
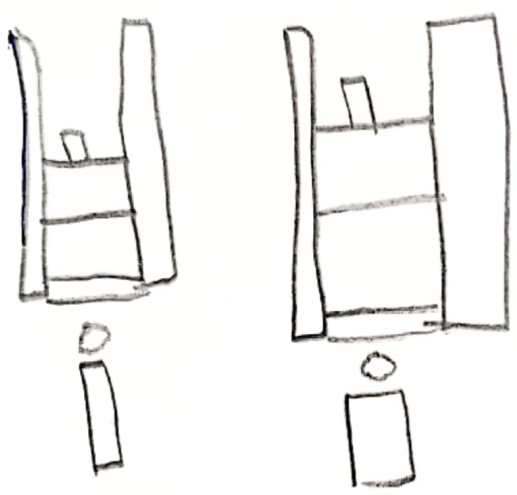
$\Delta Q = \Delta U + \Delta W$  But  $\Delta W = p \Delta V$



Heat in =  $W_{out}$  + increase in internal energy

Heat out =  $W_{out}$  + decrease internal energy.

Example



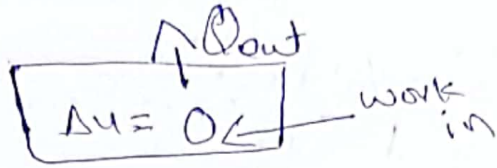
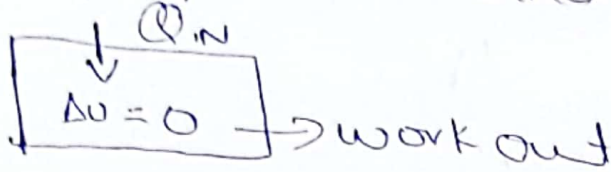
Heat input increases  
V with constant P

400 J heat does 120  
J of work energy  
by 280 J

# Isothermal process

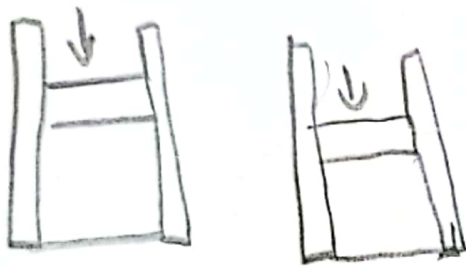
Constant temperature  $\Delta T = 0, \Delta U = 0$

$\Delta Q = \Delta U + \Delta W$  and  $\Delta Q = \Delta W$

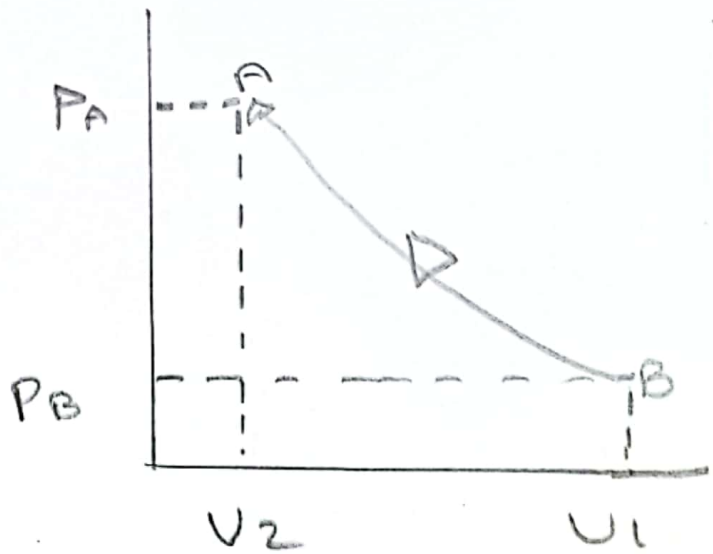


Net heat input = work output  
work input = Net heat out.

example (constant T):



$\Delta U = \Delta T = 0$



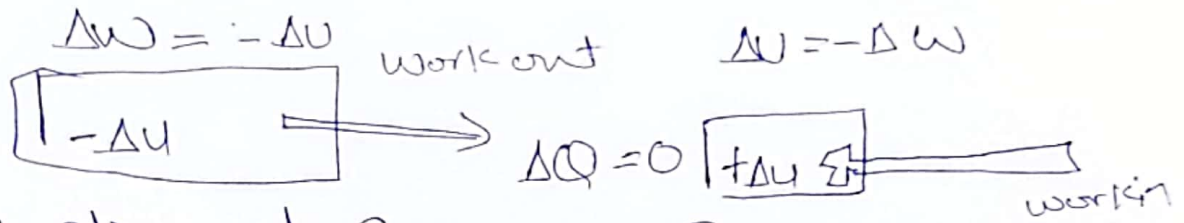
$P_A V_A = P_B V_B$

slow Compression  
at constant temperature  
no change in U.

# Adiabatic process

No heat exchange,  $\Delta Q = 0$

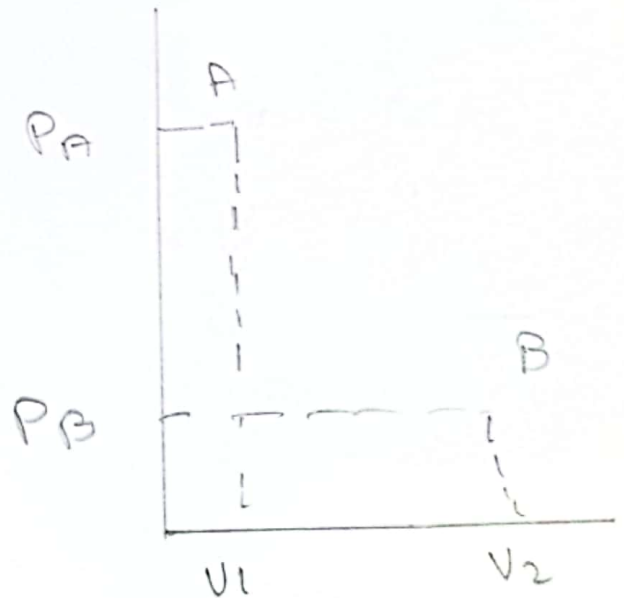
$$\Delta Q = \Delta U + \Delta W; \Delta W = -\Delta U \text{ OR } \Delta U = -\Delta W$$



work done at expense of internal energy. input work increases internal energy.



insulated walls  $\Delta Q = 0$



Expanding gas does work with zero heat loss

$$\text{Work} = \Delta U.$$

Q2  
Part B

Answer

Solution

$$e = 1 - \frac{T_c}{T_H}$$

$$e = 1 - \frac{300\text{K}}{500\text{K}}$$

$$e = 40\%$$

Actual  $e = 0.5e_i = 20\%$

$$e = \frac{W}{Q_H}$$

$$W = eQ_H = 0.20(600\text{J})$$

$$\text{work} = 120\text{J}$$

Q3 a

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Answer

### Internal Combustion Engine

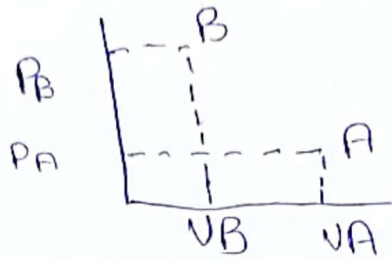
### External Combustion Engine.

① Take place inside cylinder	Take place outside the cylinder.
② Temperature is higher	Temperature is lower
③ pressure is high	Efficiency is lower
④ Lighter in weight	Heavy in weight.
⑤ This engine is costly	This engine is cheaper than I.C. engine.
⑥ Less time require to start	Need more time to start.
⑦ Fuel tank required to store fuel	Boiler and water storage require to generate steam
⑧ Pressure generated from inside engine the engine is due to combustion of fuel.	Pressure generated inside the engine is due to steam of water.

Q3 Part b

Solution

$$\Delta Q = 0$$



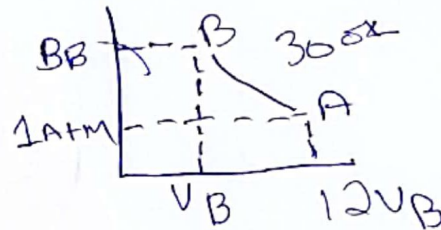
$$P_A V_A = P_B V_B$$

$$\frac{P_A V_A}{T_A} = \frac{P_B V_B}{T_B}$$

⇒ Find

$$P_A V_A = P_B V_B$$

$$P_B = P_A \left( \frac{V_A}{V_B} \right)^{\gamma}$$

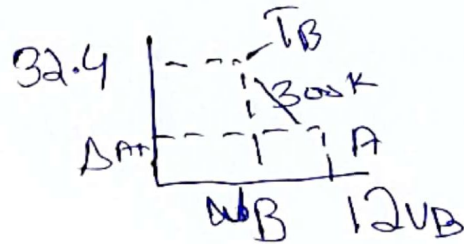


$$P_B = 32.4 \text{ atm}$$

$$\text{OR } 3284 \text{ kPa}$$

⇒ Find  $T_B$

$$\frac{P_A V_A}{T_A} = \frac{P_B V_B}{T_B}$$



$$\Rightarrow \frac{1 \times 12}{300K} = \frac{(32.4) (1)}{T_B}$$

$$T_B = 810K$$



Question 4  
Part a

Answer

Conduction

Convection

1) It is the transfer of heat by direct physical contact

It is the transfer of heat by the motion of a fluid.

2) It is due to temperature difference. Heat flows from high temperature region to low temperature.

2) It is due to difference in density. Heat flows from low density region to high density region.

3) It occurs in solids through molecular collisions, without actual flow of matter.

3) It occurs in fluid by actual flow of matter.

4) It is a slow process.

4) It is also slow process.

5) It does not obey the laws of reflection and refraction.

5) It does not obey the laws of reflection and refraction.

Q4 Part b

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Ans.

$$Q_{\text{water}} = Q_{\text{pb}}$$

$$\Rightarrow m_{\text{water}} = -Q_{\text{pb}}$$

$$m_{\text{water}} C_{\text{water}} \Delta T_{\text{water}} = -(m_{\text{pb}} C_{\text{pb}} \Delta T_{\text{pb}})$$

$$125(4.18)(T_F - 23) = -75(0.13)(T_F - 435)$$

$$522.5T_F - 12017.5 = -9.75T_F + 4241.25$$
$$+ 9.75T_F + 12017.5 + 9.75T_F + 12017.5$$

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$$532.25T_F = 16258.75$$

$$T_F = 30.5^\circ\text{C}$$

# Question 5

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## Answer

Given

$$T_1 = 15^\circ\text{C}$$

$$T_2 = 4^\circ\text{C}$$

$$L = 0.25\text{m}$$

Required

Solution:

The inner and outer surface of flat concrete roof electrically heated are home are maintained at specified Temp during night.

Assumption: steady operating condition exists during the entire night

Since the roof's temperature remain constant.

2. Constant properties can use for analysis: Nothing that heat transfer through the roof is condition and are of

$$A = 6m \times 8m$$

$$= 48m^2$$

The steady rate of heat transfer through the roof is determined.

$$Q = \frac{KA(T_1 - T_2)}{L}$$

$$= \frac{(0.8)(48)(25.0)}{0.25}$$

$$= 3840 \text{ kw}$$

$= 3.84 \text{ kw}$

The amount of heat lost through the roof during of 10 hour period at cost determined from

$$Q = Q \Delta T$$

$$= (3.84 \text{ kw})(10^h)$$

~~Q = 38.4 kw~~
 $= 38.4 \text{ kw}$

So cost per day = (amount of energy) (Unit cost energy)

$$= (38.4 \text{ kw}) (0.2 / \text{kw})$$

$= 7.68$

Cost/month = cost/day  $\times$  30 days

$$= 7.68 \times 30 =$$

$230.4$