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Subject = Compiler Construction.

Q1: Construct regular expression defining each of the following language over the alphabet  $\Sigma = \{a, b\}$

① All words having odd length.

      $(a+b) ((a+b)(a+b))^*$

② All words having at least two a's & two b's

      $(a+b)^*(aa)(bb)(a+b)^*$

③ All words having at least triple a's or double b's

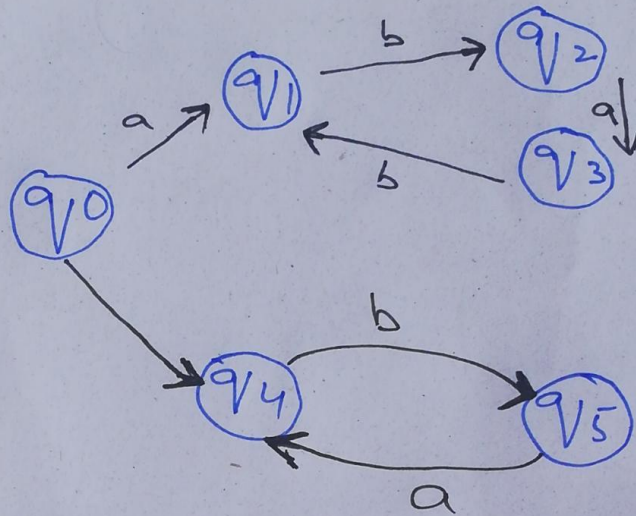
      $(a+b)^*(aaa)(a+b)^* + (a+b)^*(bb)(a+b)^*$

④ All words start with double a's or triple b's

      $aa(a+b)^* + bbb(a+b)^*$

## Question 2:

For figure 3 if  $q_0$  is initial, then draw a transition table for it.



ANSWER:

	a	b
$Q_0$	$Q_4$	$Q_1$
$Q_1$		$Q_2$
$Q_2$	$Q_3$	
$Q_3$		$Q_1$
$Q_4$		$Q_5$
$Q_5$	$Q_4$	

Question: 3

Define what is finite Automaton.  
What can be the regular expression of given diagram

A finite automaton (FA) is a simple idealized machine used to recognize patterns with input taken from some character set (or alphabet)  $C$ . The job of an (FA) is to accept or reject an input depending on whether the pattern defined by the FA.

A Finite Automaton consist of

$(Q, \Sigma, q_0, F, \delta)$

- \*  $Q \rightarrow$  It is a finite set of states
- \*  $\Sigma \rightarrow$  finite set of the input symbol
- \*  $q_0 \rightarrow$  initial state.
- \*  $F \rightarrow$  Final state
- \*  $\delta \rightarrow$  transition function.

Regular Expression Figure  
 $b(a+b)^* + a(a+b)^*$