

Name # Ikram ullah

ID # 7976

Section # B

Paper # Fluid Mechanics (Theory)

Iqra National University phase II  
Hayatabad Peshawar -

①

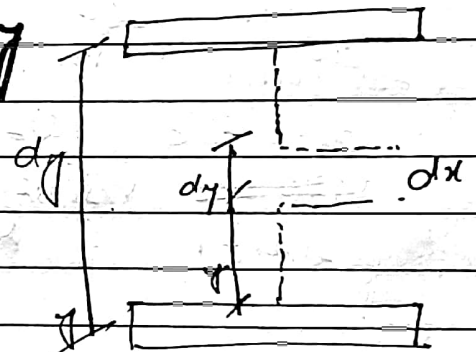
Q#01  $\Rightarrow$  Define viscosity? Derive newton equation of viscosity -

Ans Viscosity :- The property of fluid by virtue of which it offers resistance to shear is known as viscosity -

Newton equation of viscosity

$\Rightarrow$  According law

$\Rightarrow$  Now consider two parallel plates placed at distance "y" and space b/w is filled with fluid - lower surface is assumed to be stationary while upper moved with velocity  $V$  - then



(2)

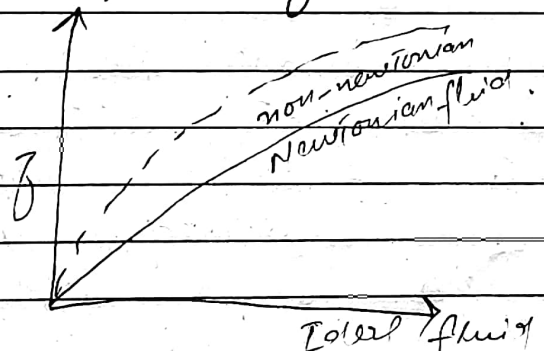
$$f \propto \frac{AV}{y}$$

or

$$F = \frac{\mu AV}{y} \quad \text{or} \quad \frac{F}{A} = \frac{\mu dv}{y}$$

$$\text{Thus } \tau = \frac{\mu v}{y}$$

for dy the ~~velocity~~ <sup>viscosity velocity</sup> with be  $dv$ .  
This is called dynamic coefficient of viscosity as absolute  
~~velocity~~ viscosity is represented by horizontal axis  
unit  $\frac{N \cdot s}{m^2}$



(3)

(B)

### Density

⇒ Mass per unit volume of fluid -  
⇒ It is denoted by " $\rho$ " & its unit is  $\text{kg/m}^3$  -

Specific weight :- It is weight per unit volume of fluid - It is represented by  $\gamma$  &  $\gamma = \frac{w}{v}$  - Its unit is  $\text{N/m}^3$  -

Specific volume :- It is a volume occupied by unit mass of fluid -  
Its unit is  $\text{m}^3/\text{kg}$   
$$v = \frac{v}{m} = \frac{1}{\rho}$$

(4)

Relation b/w Specific weight & Density

AS  $\gamma = \frac{W}{V}$  where  $W = mg$

Thus  $V = \frac{m}{\rho}$  AS we have

$$\rho = \frac{m}{V}$$

Thus  $\gamma = \rho \times g$  or  $\rho = \frac{\gamma}{g}$

(5)

Q#01(c)

→ if specific volume of gas is  $0.72 \text{ m}^3/\text{kg}$ . what is specific weight in  $\text{N/m}^3$ ?

Solution :- Given that

Specific volume,  $v = 0.72 \text{ m}^3/\text{kg}$

We have to find:

specific weight,  $\gamma_s = ?$

As

$$v = \frac{1}{\rho}$$

$$\rho = \frac{1}{v}$$

$$\rho = \frac{1}{0.72}$$

$$\rho = 1.38 \text{ kg/m}^3$$

As

$$r = \rho g$$

$$r = 1.38 \times 9.81$$

$$r = 13.54 \text{ N/m}^3$$

(6)

Q # 02

(a)  $\Rightarrow$  Define pressure? What is an absolute & gauge pressure?

Ans  $\Rightarrow$  Pressure :- The force applied perpendicular to the surface of an object per unit area over which that force is distributed -  
S.I base unit  $\text{N/m}^2$ ,  $\text{kg/(m}\cdot\text{s}^2)$

$\Rightarrow$  S.I unit pascal

formula :-  $P = \frac{F}{A}$

Absolute pressure :- Absolute pressure that is relative to the zero pressure in the empty air-free space to the universe -  
This reference pressure is the Ideal or absolute vacuum it is denoted with the subscript "abs" Pa<sub>abs</sub> -

7

Gauge pressure :- The gauge pressure is defined as the difference b/w an absolute pressure & the prevailing atmospheric pressure. It is denoted with subscript "g";  $P_g$  & is calculated as follows:

$$P_g = P_{abs} - P_{atm}$$



Q. No 2 (B)

Given data

$$\text{Length, } l = 1500 \text{ mm} = 1.5 \text{ m}$$

$$\text{Breadth, } b = 1500 \text{ mm} = 1.5 \text{ m}$$

$$\text{Depth, } h_0 = 7976 \text{ mm} = 7.976 \text{ m}$$

$$\text{Unit weight of water} = 9.81 \text{ kN/m}^3$$

Required Data

$$\Rightarrow a_0 = \text{net pressure, } p = ?$$

$$\rightarrow b_0 = \text{location of force}$$

$$\rightarrow c_0 = \text{If water level drops half of depth find } p \text{ \& location of force.}$$

Solution

① Net pressure

$$P = \gamma h$$

$$P = 9.81 \times 7.976$$

$$P = 78.24456 \text{ kN/m}^2$$

② Force application (centroid)

$$\bar{y} = \frac{h}{3}$$

$$\bar{y} = \frac{7.976}{3}$$

$$\bar{y} = 2.6586 \text{ m}$$

(10)

② Half Depth

pressure at half depth,  $p' = \gamma \frac{h}{2}$

$$p' = \frac{9.81 \times 7.976}{2}$$

$$p' = 39.12 \text{ kN/m}^2$$

Centroid

$$\bar{y} = \frac{h}{2} \times \frac{1}{3}$$

$$y = 1.323 \text{ m}$$